Motion Reparametrization

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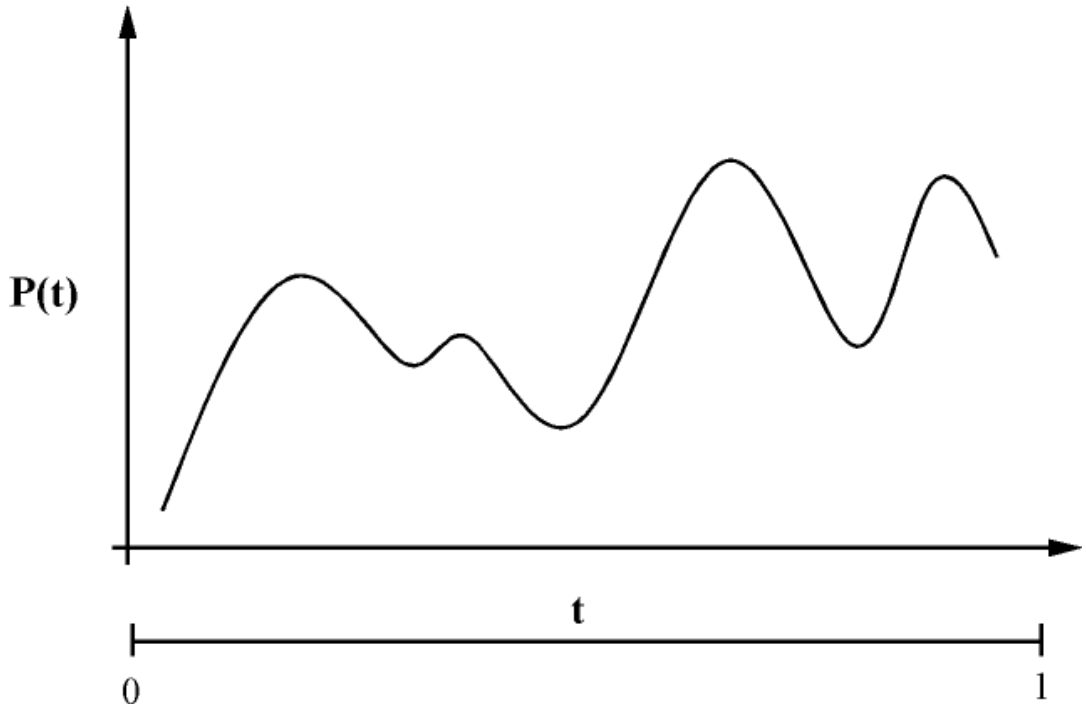
Motivation

- Reparametrization of motion captured data
  - generation of slow-down and acceleration effects.
  - synchronization of mocap animation with audio.
- Other applications

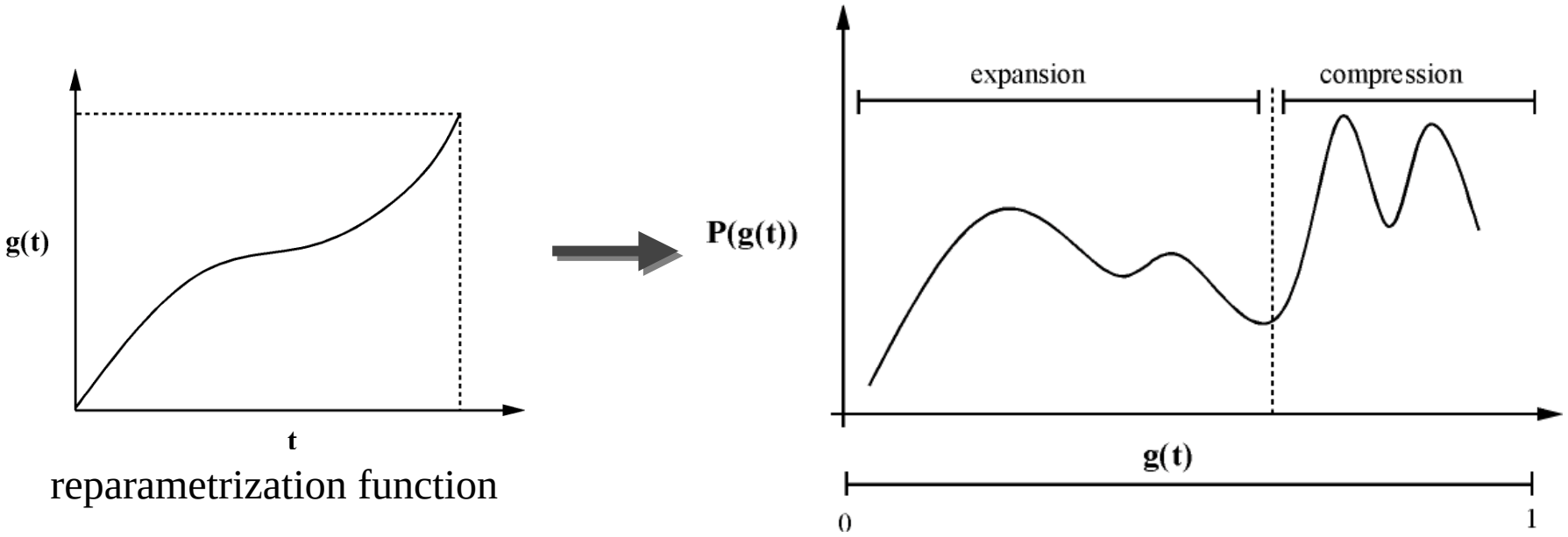
Continuous Objects in CG



continuous interval

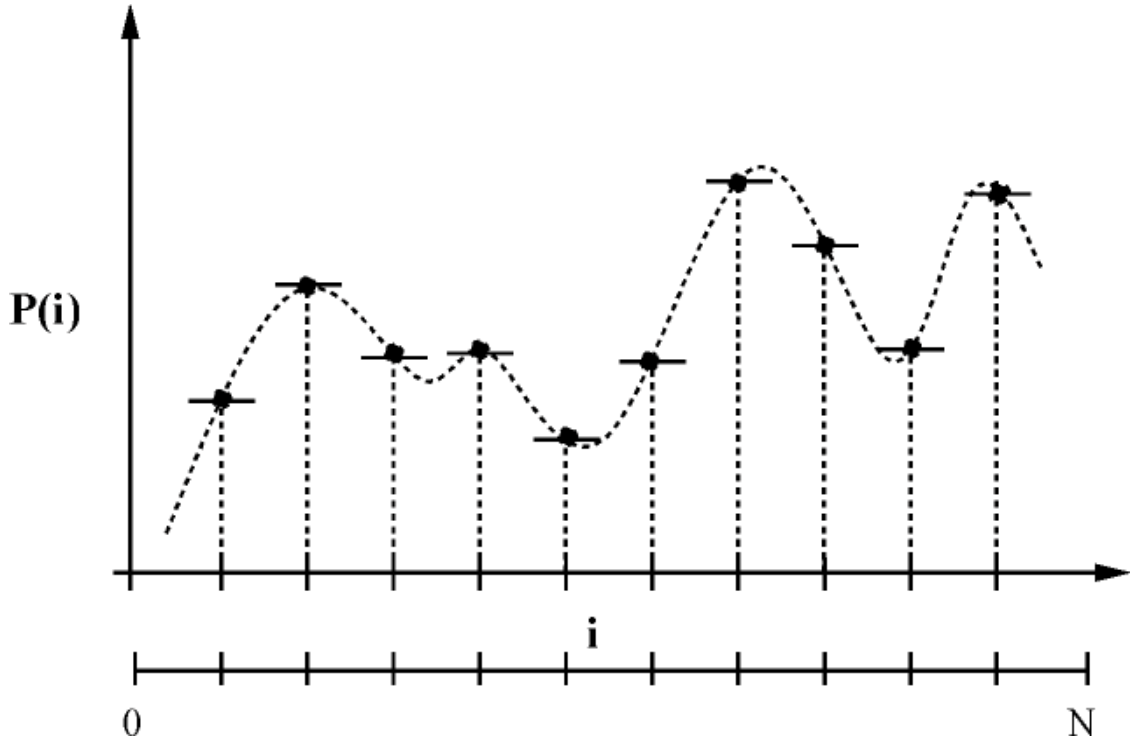
- usually described as parametric functions
- example: splines

Reparametrization



- change of parametric function
- warping (compression / expansion)

Discretization



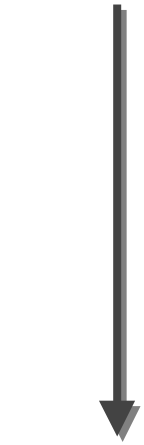
discrete interval

- samples of a continuous function
- example: motion capture data

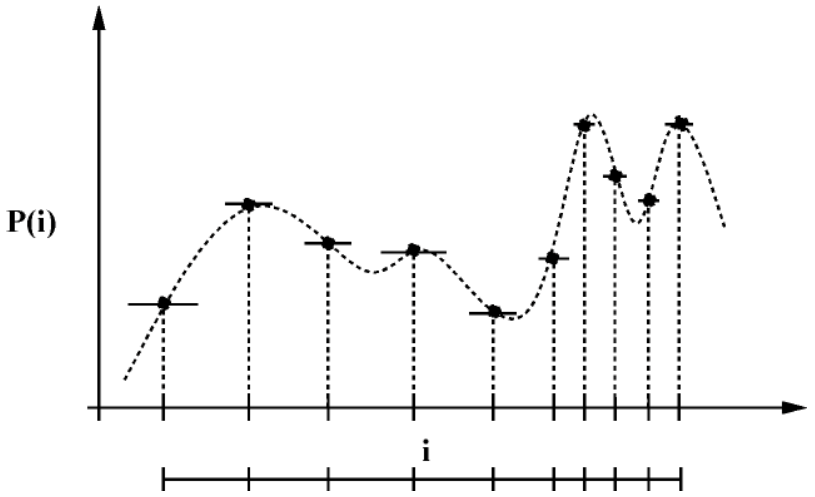
Resampling

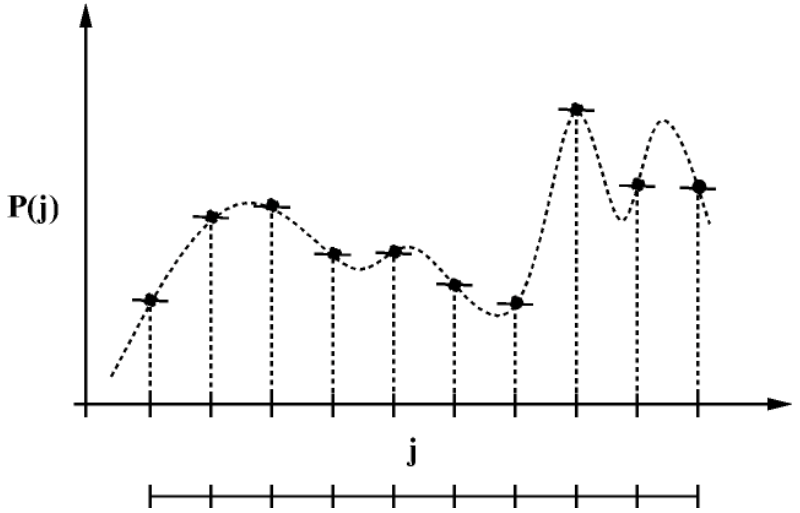
- Need uniform sampling rate

non-uniform



uniform



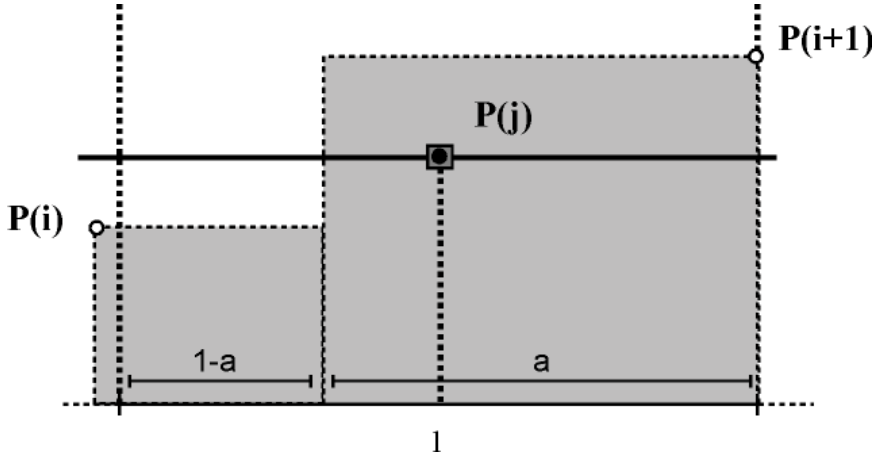


Antialiasing in Resampling

- Reconstruction and resampling

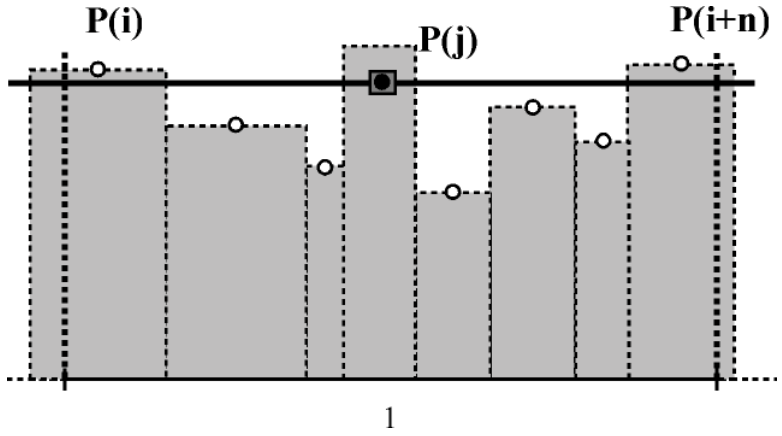
<u>expansion</u>

$P(j) = (1-a) \cdot P(i) + a \cdot P(i+1)$



<u>compression</u>

$$P(j) = \sum_{i=1}^{n} \omega_i \cdot P(i)$$

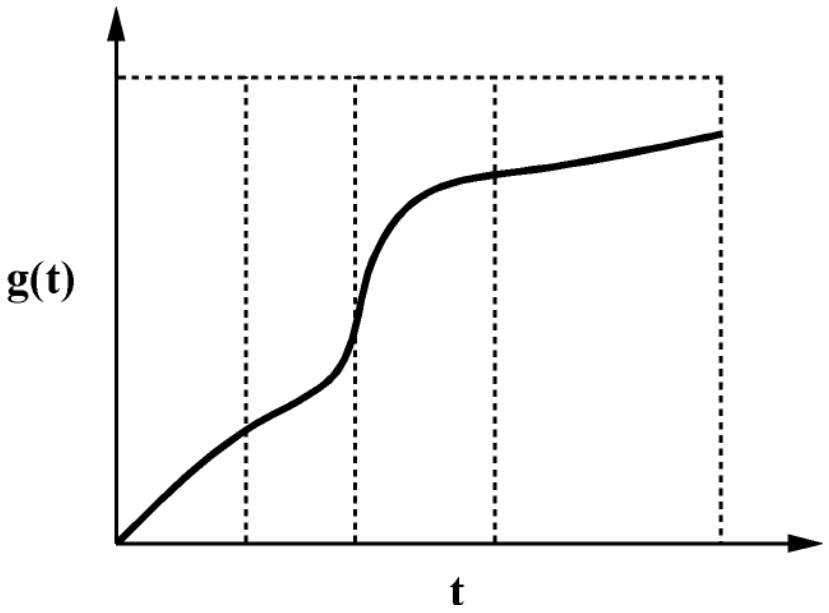


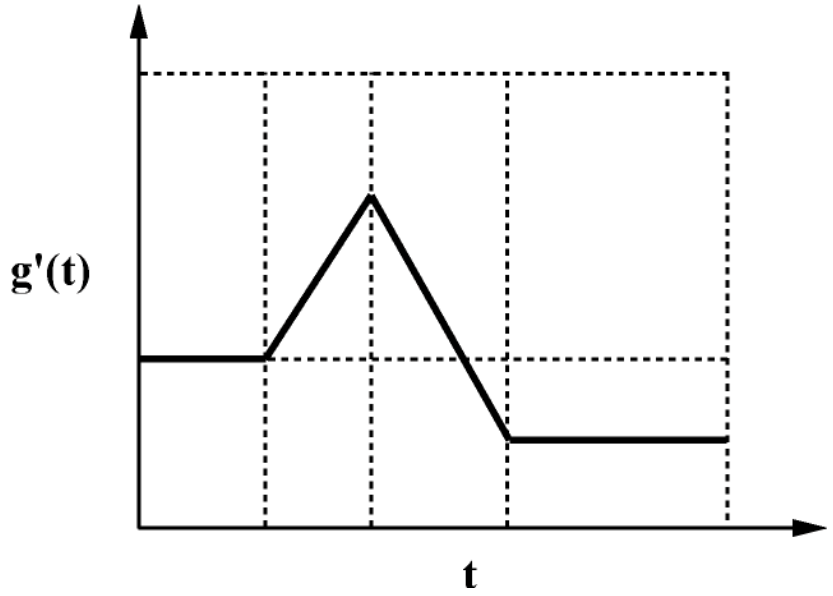
Time-dependent Applications

- Reparametrization changes “timing”
- Sound processing
  - “pitch” adjustment.
- Computer animation
  - velocity/acceleration adjustment.
- Video processing
  - slow-motion and accelerated-time effects.

Specification

- Derivative of reparametrization function (g’(t))
  - more suitable for time-dependent applications.





Discrete Reparametrization

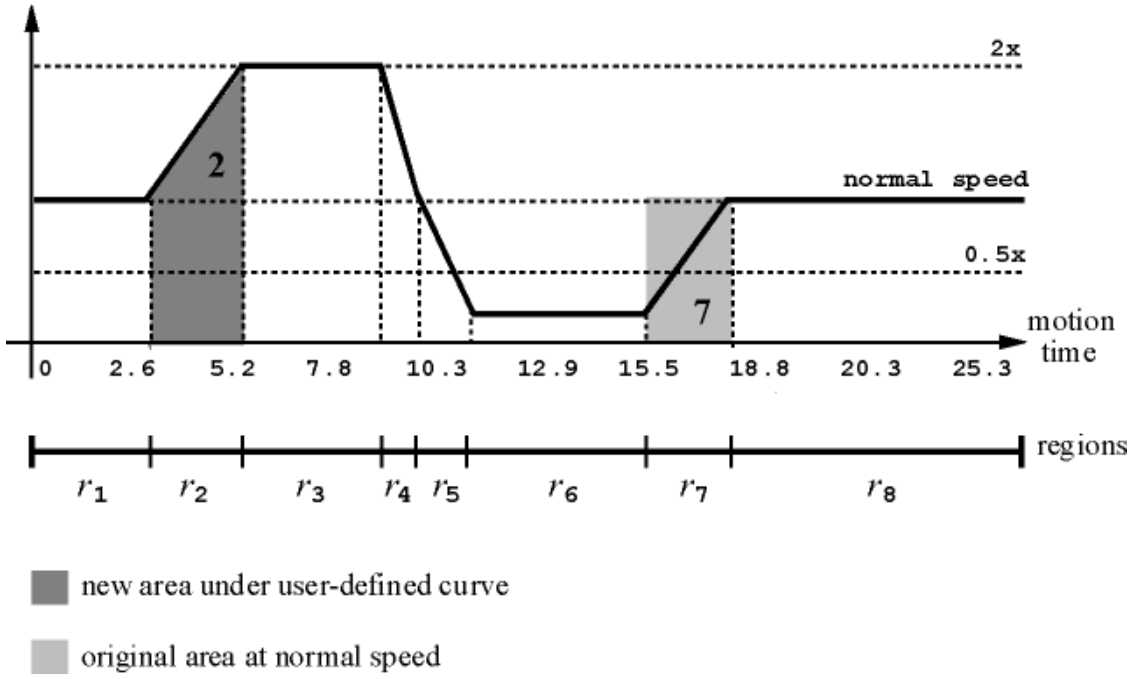
- Possible solution
  - – reconstruct the motion curve from samples
  - – reparametrize the continuous curve and sample it.
  - ☒ very time and memory consuming.
- Our solution
  - – reparametrization in the discrete domain.
  - – local resampling according to a velocity curve.
  - ☑ more efficient and natural.

Overview of Computation

- Input
  - original sampled data.
  - user-defined velocity.
- Processing
  - discrete reparametrization.
- Output
  - new set of samples.

Identifying Regions of Change

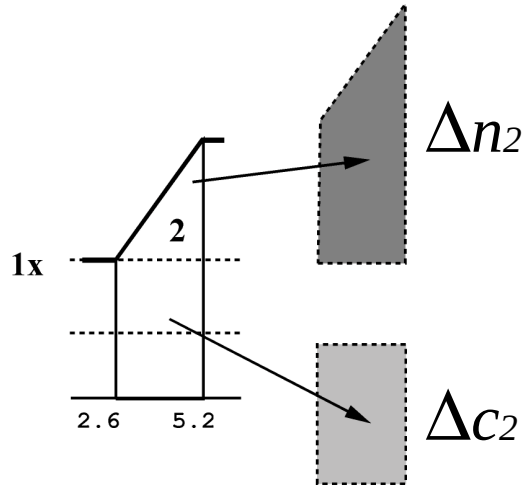
- Velocity function
  - defined over the temporal description of the original signal.
  - comprises regions r_i of monotonic increase and/or decrease.



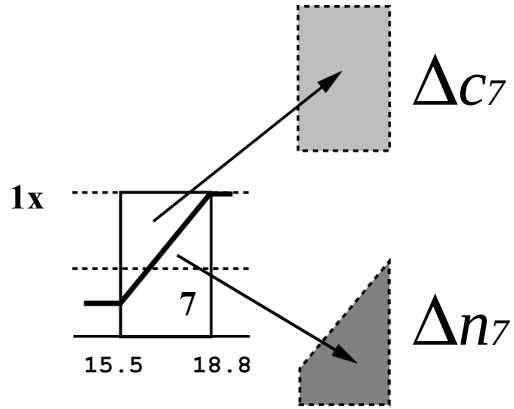
Computing Warp Factors

- Expansion/Compression regions
  - detected by using ratio $\Delta r_i = \Delta c_i / \Delta n_i$.
  - Δr_i is used to calculate new number of samples.

- expansion ($\Delta r_i > 1$)



- compression ($\Delta r_i < 1$)

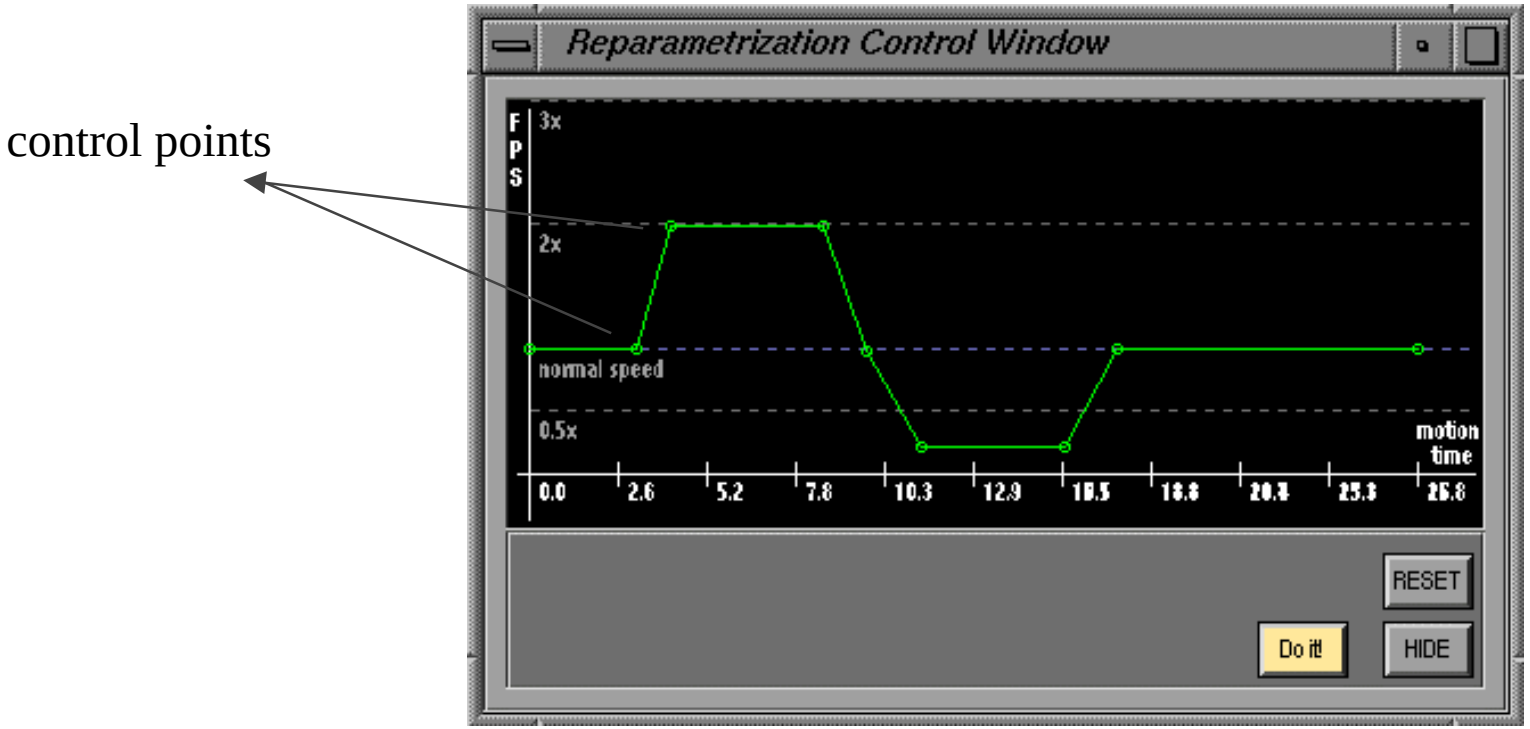


Algorithm Description

- Identification of regions r_i
- Computation of warp factors Δr_i
- Calculation of new number of samples
  - for each region r_i : $NS_{r_i} = \Delta r_i \,.\, NS_{orig}$
  - total number of samples: $\sum_{i=1}^{n} NS_{r_i}$
- Antialiasing where necessary

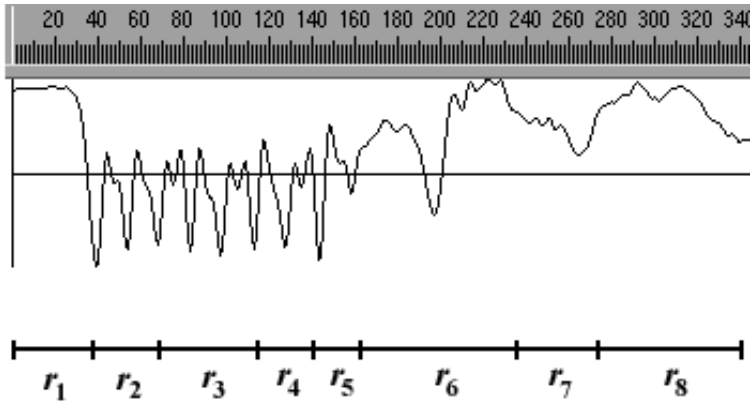
User Interface

- Velocity function

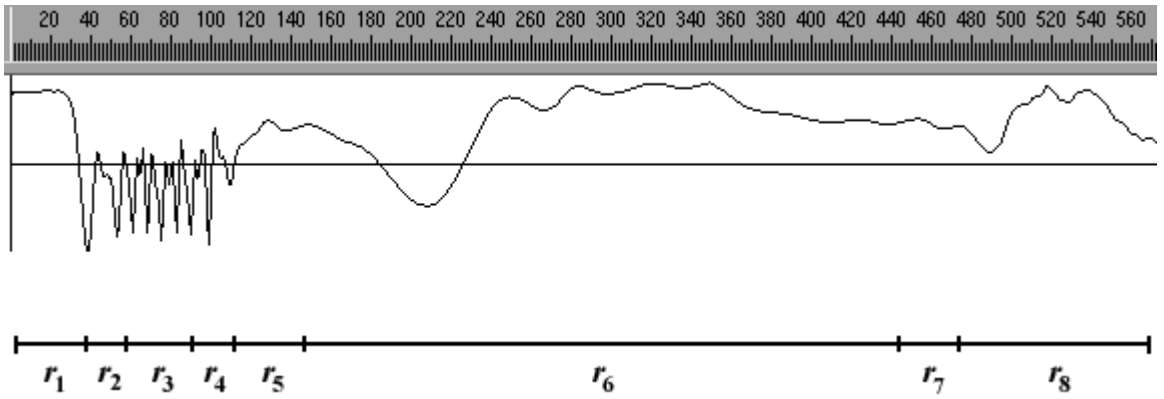


Example

- original data



- reparametrized data



Video

- Original motion captured data
- Application of the algorithm using in-house animation system.
- New motion data.

Conclusions / Future Work

- Conclusion
  - velocity function: natural interface for time-dependent applications.
  - discrete reparametrization: fast and efficient (low memory usage).

- Future work
  - applications in sound and image processing.
  - applications in modeling.

Additional Info

http://www.visgraf.impa.br/mocap